

APPC, E & M: Unit B HW 2

Name: _____

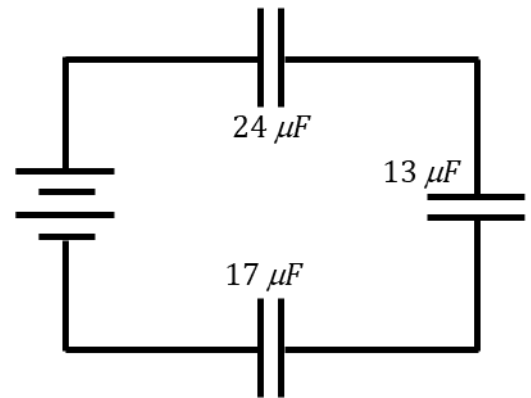
Hr: ____ Due at beg of hr on: _____

UB, HW2, P1

Reference Video: "Capacitors in Parallel"

YouTube, lasseviren1, CAPACITANCE playlist

A. First, refer back to your work in HW Set 1, Problem 5 to help you determine the equivalent capacitance of the circuit show at right.

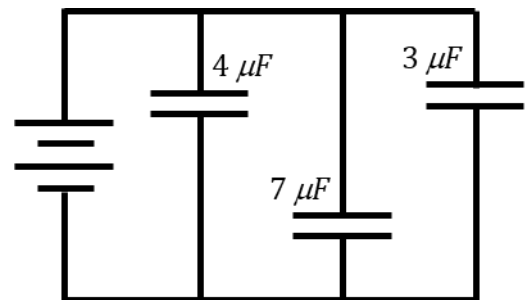


B. Now, write the equation for finding the equivalent capacitance C_{eq} for when two capacitors C_1 and C_2 are wired in parallel.

C. What is true of the potential difference V across two or more capacitors that are in parallel with each other?

D. If Q_{tot} is the total charge moved in a circuit containing capacitors C_1 and C_2 in parallel with a battery of voltage V , write a simple equation that relates Q_{tot} with the amounts of charge (Q_1 and Q_2) on the capacitors.

E. Use your Part B answer to determine the equivalent capacitance of the circuit show at right.



UB, HW2, P2

Reference Video: "Review of Unit on Capacitance (Part I)"
YouTube, lasseviren1, CAPACITANCE playlist

Here, you will walk through a line of reasoning about what happens when we add a dielectric in between the plates of a capacitor (after first charging it when a vacuum is between the plates). The video uses a dielectric constant of $\kappa = 2$; here, we will insert a dielectric of $\kappa = 3$. We will let the original quantities (when the capacitor is charged with the vacuum between plates) be C_0 , V_0 , Q_0 , E_0 , and U_0 . You will also need to reference several equations as justification for your answers. (There might be more than one possible answer.)

I. $C = \frac{Q}{V}$

III. $V = Ed$

V. $U = \frac{1}{2}QV$

II. $C = \frac{\kappa\epsilon_0 A}{d}$

IV. $U = \frac{Q^2}{2C}$

VI. $U = \frac{1}{2}CV^2$

Here we go...

A. Let us charge the capacitor with nothing between the plates. Then, with the battery still connected into the circuit, we insert between the plates a dielectric having $\kappa = 3$.

How the new quantities compare to the original	Equation (AND/OR explanation) that justifies your answer
$C_{\text{new}} = ___ C_0$	
$V_{\text{new}} = ___ V_0$	
$Q_{\text{new}} = ___ Q_0$	
$E_{\text{new}} = ___ E_0$	
$U_{\text{new}} = ___ U_0$	

B. We now charge the capacitor again, with nothing between the plates. Then, we disconnect the battery from the circuit, and then insert between the plates a dielectric having $\kappa = 3$.

How the new quantities compare to the original	Equation (AND/OR explanation) that justifies your answer
$C_{\text{new}} = ___ C_0$	
$Q_{\text{new}} = ___ Q_0$	
$V_{\text{new}} = ___ V_0$	
$E_{\text{new}} = ___ E_0$	
$U_{\text{new}} = ___ U_0$	

Use any of these equations to help you determine the various quantities for the circuits shown.

$$C = \frac{Q}{V} = \frac{k\epsilon_0 A}{d}$$

$$V = Ed$$

$$U = \frac{Q^2}{2C} = \frac{1}{2}CV^2 = \frac{1}{2}QV$$

$$C_p = \sum C_i$$

$$\frac{1}{C_s} = \sum \frac{1}{C_i}$$

A. $C_{eq} =$

$V_1 =$

$Q_{tot} =$

$V_2 =$

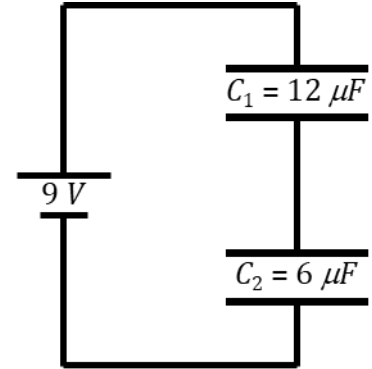
$Q_1 =$

$U_1 =$

$Q_2 =$

$U_2 =$

$U_{tot} =$



Circuit for Part A

B. $C_{eq} =$

$V_1 =$

$Q_{tot} =$

$V_2 =$

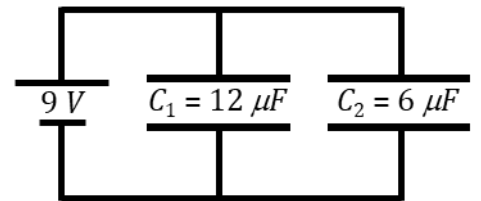
$Q_1 =$

$U_1 =$

$Q_2 =$

$U_2 =$

$U_{tot} =$



Circuit for Part B

Here, we will go through a line of reasoning that will allow you to determine the capacitance when various fractions of the region between capacitor plates have been filled with dielectrics of varying dielectric constant κ . The problem associated with Figure 1 is very similar to what is shown on the video, while the problem associated with Figure 2 is somewhat different.

Consider Figure 1. A capacitor with a vacuum between its plates ($\kappa = 1$) has plate area A and plate separation d . These values, used in the equation $C = \frac{\kappa \epsilon_0 A}{d}$, give us a capacitor having an original capacitance of C_0 .

We then add two dielectrics in between the plates. The top half of the region (i.e., $\frac{1}{2}$ of A) has a dielectric of $\kappa = 2$, while the bottom half (i.e., the other $\frac{1}{2}$ of A) has a dielectric of $\kappa = 4$. The plate separation remains at d .

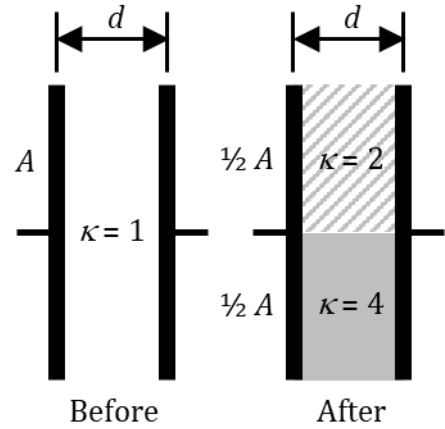


Figure 1

A. In terms of C_0 , determine the capacitance of the $\kappa = 2$ portion. $C_{\kappa=2} =$

B. In terms of C_0 , determine the capacitance of the $\kappa = 4$ portion. $C_{\kappa=4} =$

C. Circle your answer... The $C_{\kappa=2}$ and $C_{\kappa=4}$ capacitors are in: SERIES PARALLEL

D. Choose the correct equation for finding equivalent capacitance, then use that equation in conjunction with your answers above to find the equivalent capacitance C_{eq} for the "After" capacitor of Figure 1.

Refer now to Figure 2. We again start with a vacuum between the plates ($\kappa = 1$), with plate area A , and with plate separation d . Again, this results in a capacitor with a capacitance of C_0 .

When we add dielectrics this time, however, the left half of the region has a dielectric of $\kappa = 3$, while the right half has a dielectric of $\kappa = 6$. The plate separation, in effect, becomes $\frac{1}{2} d$ for each of these regions, while the area for each of these regions remains A .

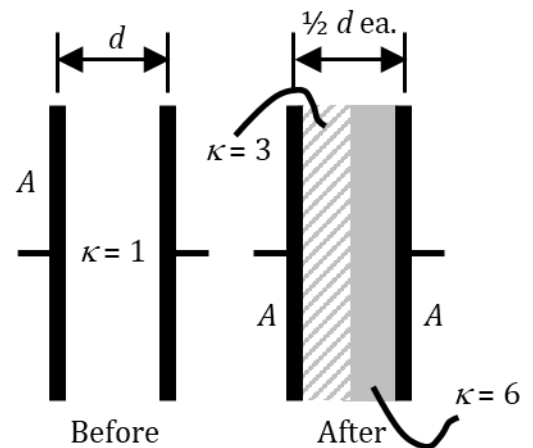


Figure 2

E. In terms of C_0 , determine the capacitance of the $\kappa = 3$ portion. $C_{\kappa=3} =$

F. In terms of C_0 , determine the capacitance of the $\kappa = 6$ portion. $C_{\kappa=6} =$

G. Circle your answer... The $C_{\kappa=3}$ and $C_{\kappa=6}$ capacitors are in: SERIES PARALLEL

H. Choose the correct equation for finding equivalent capacitance, then use that equation in conjunction with your answers above to find the equivalent capacitance C_{eq} for the "After" capacitor of Figure 2.

A. In Figure 1, which capacitor, if either... (circle your answer)

- i. ...stores more charge Q ? C_1 C_2 it's a tie
- ii. ...has a larger potential V across it? C_1 C_2 it's a tie

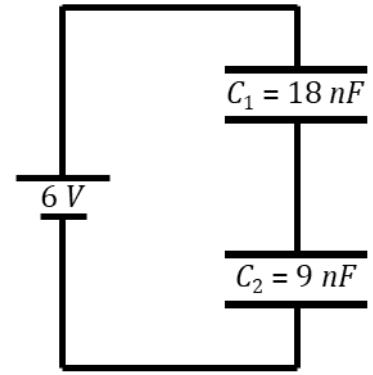


Figure 1

B. For Figure 1, calculate the following quantities. Include the correct units.

<u>Figure 1 Quantities</u>	$V_1 =$
$C_{eq} =$	$V_2 =$
$Q_{tot} =$	$U_1 =$
$Q_1 =$	$U_2 =$
$Q_2 =$	$U_{tot} =$

C. In Figure 2, which capacitor, if either... (circle your answer)

- i. ...stores more charge Q ? C_1 C_2 it's a tie
- ii. ...has a larger potential V across it? C_1 C_2 it's a tie

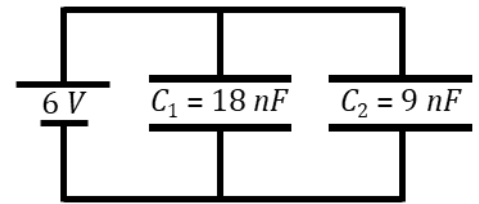


Figure 2

D. For Figure 2, calculate the following quantities. Include the correct units.

<u>Figure 2 Quantities</u>	$Q_1 =$
$C_{eq} =$	$Q_2 =$
$Q_{tot} =$	$U_1 =$
$V_1 =$	$U_2 =$
$V_2 =$	$U_{tot} =$

E. For Figure 3, calculate the following quantities. Include the correct units.

<u>Figure 3 Quantities</u>	$Q_3 =$
	$V_3 =$
$C_{eq} =$	$Q_4 =$
$Q_{tot} =$	$V_4 =$
$Q_1 =$	$Q_5 =$
$V_1 =$	$V_5 =$
$Q_2 =$	$Q_6 =$
$V_2 =$	$V_6 =$

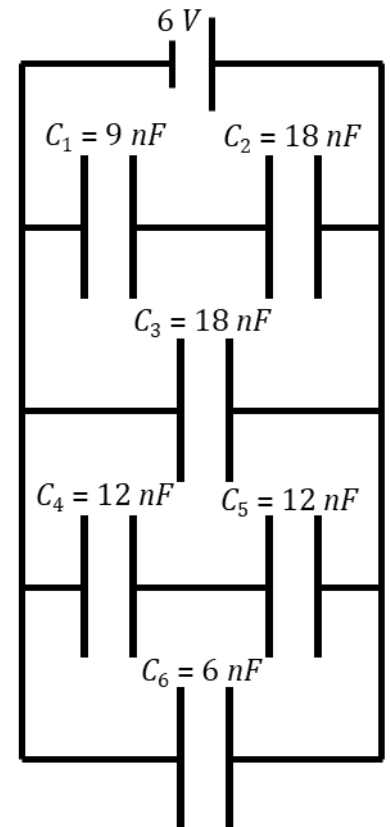


Figure 3

F. Determine the total energy U_{tot} stored in the system of Figure 3.